



End Semester/Reappear (Semester III) Examination December, 2024

Programme: B. Tech (CSE)

Course: Mathematics III (Probability & Statistics)

Course Code: BSC 201

Enrolment no. \_\_\_\_\_

Full Marks: 70

Time: 3 Hrs.

Q. No	Questions	CO	Bloom Taxonomy Category	Marks
<b>Section I</b>				
1	<b>Short Answer type questions</b>			<b>4 x 5 = 20</b>
a	Explain (i) Probability Space (ii) Profitability Independence	CO1	Understand	
	or			
b	Define the Bayes's Theorem with example.	CO1	Remember	
	Define Skewness and Kurtosis.	CO2	Remember	
	or			
c	Describe the Regression Co-efficient.	CO2	Understand	
	Define binomial distribution and write its formula and mention all the term related to it.	CO1	Remember	
	or			
d	Interpret a random variable X takes on the values -3, -1, 2, and 5 with respective probability $(2k-3)/10$ , $(k+1)/10$ , $(k-1)/10$ , $(k-2)/10$ . Determine the distribution of X.	CO1	Understand	
	or			
	Define co-efficient-of correlation and write the Kar Pearson formula.	CO2	Remember	
	or			
	Define Mathematical expectation and write property of it.	CO2	Remember	
<b>Section II</b>				
<b>Long Answer type questions</b>				
2	Prove that $r = \sqrt{b_{xy} \times b_{yx}}$	CO3	Apply	<b>3 x 10 = 30</b>
	or			
	Find the correlation coefficient b/w x and y when the lines of regression are $2x - 9y + 6 = 0$ and $x - 2y + 1 = 0$	CO3	Remember	
3	Find the co-efficient of rank correlation b/w the marks in statistic and mathematics obtained by ascertain group of student is $2/3$ and the sum of the square of the difference in rank 55. Find the number of student in the group.	CO2	Apply	
	or			
	The given data relating to purchase and sales. Obtain the two-regression equation by the method of least square and estimate the likely sales when the purchase equal 100	CO2	Analyze	
4	Suppose 3% of bolt made by a machine are defective the defects occurring at random during production. If bolts are packed 50 per box, find (i) exact probability (ii) Poisson approximation to it that a given box will contain 5 defectives	CO1	Apply	
	or			
	Summarise the a random variables X has mean $\mu = 25$ and standard deviations $\sigma = 2$ , Use Chebyshev's in equality to estimate $P(x \leq 35)$	CO1	Understand	
<b>Section III</b>				
<b>Application based questions</b>				
5	(a) Classify is the difference between correlation and regression analysis? (b) (i) The regression coefficient of y on x and x on y are 1.2 and 0.3 respectively. Find the coefficient of correlation. (ii) If $\sigma_x = 10$ , $\sigma_y = 12$ , $b_{xy} = -0.8$ , find the value of r. (iii) If $\bar{x} = 6$ , $\bar{y} = 7$ , $b_{xy} = 0.65$ and $b_{yx} = 0.45$ , then find the regression equations.	CO4	Analyze	<b>1 x 20 = 20</b>
	or			

Classify the first four moments about the working mean 28.5 of a distribution are 0.294, 7.144, 42.409 and 454.98. Calculate the moments about the mean. Also evaluate and comment on the skewness and kurtosis of distribution.	CO4	Analyze
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### **COURSE OUTCOME**

At the end the course the candidate will able to

CO1: Acquaintance with various methods of collecting data and get familiar with some elementary methods of data viz. Measures of central tendency, dispersion, skewness and kurtosis and to interpret them.

CO2: Understanding the basic concepts of probability and to find probabilities of various events.

CO3: Understand types of random variables, concepts of conditional probability and ability to distinguish between univariate and bi variate probability distributions; transformation of continuous random variable and its application.

CO4: Knowledge of characteristics of random variables such as expectation, variance and also to compute various generating functions